INTERNAL ASSIGNMENT QUESTIONS M.Sc. (STATISTICS) FINAL

2023



PROF. G. RAM REDDY CENTRE FOR DISTANCE EDUCATION (RECOGNISED BY THE DISTANCE EDUCATION BUREAU, UGC, NEW DELHI)

OSMANIA UNIVERSITY

(A University with Potential for Excellence and Re-Accredited by NAAC with "A" + Grade)

DIRECTOR Prof. G.B. REDDY Hyderabad – 7 Telangana State

PROF.G.RAM REDDY CENTRE FOR DISTANCE EDUCATION OSMANIA UNIVERSITY, HYDERABAD ~ 500 007

Dear Students,

Every student of M.Sc. Statistics Final has to write and submit **Assignment** for each paper compulsorily. Each assignment carries **20 marks**. The marks awarded to the students will be forwarded to the Examination Branch, OU for inclusion in the marks memo. If the student fail to submit Internal Assignments before the stipulated date, the internal marks will not be added in the final marks memo under any circumstances. The assignments will not be accepted after the stipulated date. **Candidates should submit assignments only in the academic year in which the examination fee is paid for the examination for the first time.**

Candidates are required to submit the Exam fee receipt along with the assignment answers scripts at the concerned counter on or before <u>20-06-2023</u> and obtain proper submission receipt.

ASSIGNMENT WITHOUT EXAMINATION FEE PAYMENT RECEIPT (ONLINE) WILL NOT BE ACCEPTED Assignments on Printed / Photocopy / Typed will not be accepted and will not be valued at any cost.

HAND WRITTEN ASSIGNMENTS will be accepted and valued.

Methodology for writing the Assignments (Instructions) :

- 1. First read the subject matter in the course material that is supplied to you.
- 2. If possible read the subject matter in the books suggested for further reading.
- 3. You are welcome to use the PGRRCDE Library on all working days for collecting information on the topic of your assignments. (10.30 am to 5.00 pm).
- 4. Give a final reading to the answer you have written and see whether you can delete unimportant or repetitive words.
- 5. The cover page of the each theory assignments must have information as given in FORMAT below.

FORMAT

- NAME OF THE STUDENT :
 ENROLLMENT NUMBER :
 NAME OF THE COURSE :
 NAME OF THE PAPER :
 DATE OF SUBMISSION :
- 6. Write the above said details clearly on every subject assignments paper, otherwise your paper will not be valued.
- 7. Tag all the assignments paper wise and submit them in the concerned counter.
- 8. Submit the assignments on or before <u>20-06-2023</u> at the concerned counter at PGRRCDE, OU on any working day and obtain receipt.

30/06/2013

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Paper -- I(Statistical Inference) Faculty of Science

M.Sc (Statistics) CDE Final

Internal Assessment

Roll Number:

Name :

	I. Choose the correct answer	Marks:
	10*= 5M	
1)	Whether a test is one-sided or two-sided depends on []	
	a) Alternative hypothesis b) composite hypothesis c) null hypothesis d) simple hypothesis	
2)	A wrong decision about H_0 leads to []
	a) One kind of error b) two kinds of error c) three kinds of error d) four kinds of errors	
3)	Power of test is related to []
	a) Type I error b) type II error c) types I and II errors both d) none of the above	
4)	Level of significance is the probability of []
	a) Type I error b) type II error c) not committing error d) any of the above	
5)	Area of the critical region depends on []
	a) Size of type I error b) Size of type II error c) value of the statistic d) number of observation	IS
6)	Size of critical region is known as]
	a) Power of the test b) Size of type II error c) critical value of the test statistic d) Size of type er	ror
7)	Friedman test in two way analysis differ in respect of []
	a) The alternative hypothesis b) their test statistics c) approach towards normality d) a	ll the above
8)	Kendall's tau and the Spearman's r _s differ in respect of	[]
	a) Their approach towards unity b) numerical values for the same set of data	
	c) unbiasedness of estimates d) All the above	
9)	In non- parametric statistics, usually the confidence interval is found out for	
	a) Population median b) Population mean c) both a) and b) d) None	
10)	Formula for coefficient of concordance H with usual notations is []	
	a) $H = b$) $H = c$) $H = d$) none	

II. Fill in the blanks

1. Most powerful test function for testing null hypothesisv/s alternative hypothesis

.....

- 2. The power function is probability of the
- 3. The hypothesis which is under test for possible rejection is called Hypothesis.
- 4. A hypothesis is an About the parameter of a population.
- 5. One parameter exponential family form
- 6. The probability of type II error is called
- 7. NP lemma for Non-randomized test function $\mathcal{O}(\mathbf{x}) = \dots$
- 8. The square of the standard normal variant follows to Distribution.
- 9. Type II error
- 10. In an experiment with 4 treatments and 5 blocks, the sums of the ranks for treatments were 12,15, 6,17. Friedman's F based on the given data is
- 11. When there are three items ranked by two investigators, the only possible values of rank correlation r, are

.....

- 12. Friedman's test statistics adjusted for ties with usual notations is
- 13. Asymptotic relative efficiency is also known as efficiency.
- 14. The same ranks assigned to different units are called
- 15. Kruskal- Wallis analysis of data is meant for

III . Short Answer

III. Answer the following

Marks : 5*1=5M

- 1. Define MP test?
- 2. Define randomized test function?
- 3. Explain about Ansari -Bradley test?
- 4. Write about the Kendall's Tau test?
- 5. Write about 2 sample dispersions Kruskal Walli's test?

FACULTY OF SCIENCE M.Sc. STATISTICS II year PGRRCDE INTERNAL ASSESMENT Paper-II: LINEAR MODELS & DESIGN OF EXPERIMENTS

	Name of the Student Roll No:			
No	ote: Write answers in sequential order as per question paper only.			
	SECTION-A (10x ½ =5 Marks)			
1.	The number of MOLS that can be constructed from a Latin square of order 4 a) 2 b) 3 c) 5 d) 6	is ſ	1	
2.	For a resolvable BIBD with parameters v, b, r, k, λ	-	-	
~	a) $b \ge v+r$ b) $b \le v+r$ c) $b \ge v+r-1$ d) $b \le v+r-1$	[]	
3.	a) 4 b) 3 c) 2 d) 1	[]	
4.	In the usual notation, for a PBIBD(2), $n_1\lambda_1+n_2\lambda_2$ is equal to a) $r(v-1)$ b) $r(k-1)$ c) $b(v-1)$ d) $b(k-1)$	[]	
э.	A PBIBD(2) is said to be simple if a) $\lambda_1 \neq 0$ b) $\lambda_2 \neq 0$ c) $\lambda_1 \neq 0, \lambda_2 \neq 0$ d) $\lambda_1 \neq 0, \lambda_2 = 0$	[]	
6. 7.	The determinant of the incidence matrix of a symmetric BIBD is a) $\pm r(r-\lambda)^{v}$ b) $\pm r(r-\lambda)^{v/2}$ c) $\pm r(r-\lambda)^{v-1/2}$ d) $\pm r(r-\lambda)^{v+1/2}$ In a BIBD, the intra-block estimator of the i th treatment effect is given by	2 []	
8.	a) $\frac{k}{\lambda v} Q_i$ b) $\frac{r}{\lambda b} Q_i$ c) $\frac{k\lambda}{v} Q_i$ d) $\frac{r\lambda}{b} Q_i$ The following design A B C C D E B E F A B D A E F	[]	
	a) BIBD b) Youden Square Design c) Simple Lattice design d) PB	IBD(2	2)[]
9. 10.	If ε is the residual and X is the regressor in a linear regression model, then Co a) > 0 b) < 0 c) = 0 d) \neq 0 For Estimability of a linear parametric function $\lambda'\beta$, the necessary condition is	ov (X, v and	ε) = [suffic] eient
	a) $t'y = \lambda'$ b) $t'x = \lambda'$ c) $t'y = \beta$ d) $t'x = \beta$		[]

SECTION-B ($10x \frac{1}{2} = 5$ Marks) Fill in the blanks.

- 11. In a BIBD, the inter block estimator of the ith treatment effect $\tilde{\alpha}_i =$ ______.
- 12. In the usual notation, for a PBIBD(2), parametric relations are
- 13. For a BIBD, if N denotes the incidence matrix, determinant of NN' =
- 14. For a BIBD with parameters v, b, r, k, λ condition for affine resolvable is _____

1

- 15. The linear model for PBIBD(m) is given by
- 16. In a PBIBD(2), the intra block estimator of ith treatment effect $\hat{\alpha}_i =$ _____
- 17. Youden square designs can be generated from ______ incomplete block design.
- 18. According to Gauss-Markov theorem, in the Ordinary Least square estimate $\lambda'b^{\circ}$ of a linear parametric function $\lambda'\beta$, minimizing the error function $(Y-X\beta)'(Y-X\beta)$, b° is the

19. In the model $Y = \beta_0 + \beta_1 X_1 + \beta_2 X_2 + \beta_3 X_3 + \dots + \beta_k X_k + \varepsilon$, if some β_j s are random samples from some distributions and the remaining are fixed effects, the the model is called model.

20.	The design	Α	В	С
	-	В	С	D
		С	D	A
		D	А	В
	is a	desi	gn.	

SECTION- C (5x1 = 5 Marks)

21. When Generalized Least squares method is used instead of Ordinary Least squares method ?

22. What is an Over fitted, under fitted and best models

23. Construct a triangular PBIBD with 10 treatments.

24. Give the layout of a simple lattice design with 9 treatments

25. Distinguish between resolvable and affine resolvable BIBD

26. Define Balanced Lattice Design. Give an example for v=5.

27. Construct a BIBD with parameters $v=s^2+s+1=b$, r=k=s+1, and $\lambda=1$

28. Explain the concept of 3^2 Factorial experiment with confounding.

29. Explain the resolution III, IV and V designs with suitable examples.

30. Design the two blocks for 2^4 factorial experimental treatments with ABC confounded.

FACULTY OF SCIENCE M.Sc. (STATISTICS) II- Year PGRRCDE May 2023 **INTERNAL ASSESSMENT** PAPER-Name of the Candidate: -----

<u>Section-A ($10 \times \frac{1}{2} = 5$)</u>

(a) Single stage (b) Two stage (c) Multi stage (d) Cannot be said 2. Knapsack problem is also known as ((a) Cargo loading problem (b) Fly away kit problem (c) Both (a) and (b) (d) None 3. Goal programming problem deals with ((a) Single goal (b) Multi goals (c) Priority goals (d)All the above 4. In the single goal model the coefficient of d_i^+ and d_i^- is ((a) $(+1, -1)$ (b) $(-1, +1)$ (c) $(-1, -1)$ (d) $(+1, +1)$ 5. In the inventory problem with variable sample, the distribution function of optimar value of 'Q', F(Q') = ((a) $C_s / C_h + C_s$ (b) $C_h + C_s / C_s$ (c) $C_h / C_h + C_s$ (d) $C_h + C_s / C_h$ 6. The optimum value of 'Q', Q' for perishable items is ((a) $\frac{C_2(b-a) + C_3 a + C_4 b}{C_1 + C_3 - C_4}$ (b) $\frac{C_2(b-a) - C_3 a + C_4 b}{C_1 + C_3 - C_4}$ (a) $\frac{C_2(b-a) - C_3 a - C_4 b}{C_1 + C_3 - C_4}$ (c) $\frac{C_2(b-a) - C_3 a - C_4 b}{C_1 + C_3 - C_4}$ 7. If 'd' is the depreciation value per unit of money during a year and r is the annual interest for unit of money then d= (()) (a) Replace the equipment ((c) Go for servicing (9. If x is the number of units in inventory and s, S are the minimum and maximum stock levels and if x< s then order number of units. ((a) S - x (b) S + x (c) S - x (d) s + x	
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value of 'Q', F(Q') = () (a) C_s/C_h+C_s (b) C_h+C_s/C_s (c) C_h/C_h+C_s (d) C_h+C_s/C_h 6. The optimum value of 'Q', Q' for perishable items is () (a) $\frac{C_2(b-a)+C_3a+C_4b}{C_1+C_3+C_4}$ (b) $\frac{C_2(b-a)-C_3a+C_4b}{C_1+C_3-C_4}$ (c) $\frac{C_2(b-a)-C_3a-C_4b}{C_1+C_3-C_4}$ (c) $\frac{C_2(b-a)+C_3a-C_4b}{C_1+C_3-C_4}$ 7. If 'd' is the depreciation value per unit of money during a year and r is the annual interest for unit of money then d= () () () () () () () () () () () () () () (optimal
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6. The optimum value of 'Q', Q' for perishable items is () $\frac{C_2(b-a) + C_3 a + C_4 b}{C_1 + C_3 + C_4} \qquad (b) \qquad \frac{C_2(b-a) - C_3 a + C_4 b}{C_1 + C_3 - C_4}$ (a) $\frac{C_2(b-a) - C_3 a - C_4 b}{C_1 + C_3 - C_4} \qquad (b) \qquad \frac{C_2(b-a) - C_3 a - C_4 b}{C_1 + C_3 - C_4}$ 7. If 'd' is the depreciation value per unit of money during a year and r is the annual interest for unit of money then d= () a) 1/r (b) 1/1+r (c) 1/1-r (d) 1/r-1 8. When the average annual cost for n years becomes equal to the annual running cost then () (a) Replace the equipment (b) Do not replace the equipment (c) Go for servicing (d) None 9. If x is the number of units in inventory and s, S are the minimum and maximum stock levels and if x< s then order number of units. () (a) S - x (b) S + x (c) s - x (d) s + x (c) s - x	~
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(a) $C_1 + C_3 + C_4$ (b) $C_1 + C_3 - C_4$ (c) $C_1 + C_4$ (c) C_1	
$\frac{C_2(b-a) - C_3a - C_4b}{C_1 + C_3 - C_4}$ (c) $\frac{C_2(b-a) + C_3a - C_4b}{C_1 + C_3 - C_4}$ (d) $\frac{C_2(b-a) + C_3a - C_4b}{C_1 + C_3 - C_4}$ 7. If 'd' is the depreciation value per unit of money during a year and r is the annual interest for unit of money then d= () a) 1/r (b) 1/1+r (c) 1/1-r (d) 1/r-1 8. When the average annual cost for n years becomes equal to the annual running cost then () () (a) Replace the equipment (b) Do not replace the equipment (c) Go for servicing (d) None 9. If x is the number of units in inventory and s, S are the minimum and maximum stock levels and if x< s then order number of units. () (a) S - x (b) S + x (c) s - x (d) s + x (c) s - x	
 (c) C₁ + C₃ - C₄ (d) C₁ + C₃ - C₄ 7. If 'd' is the depreciation value per unit of money during a year and r is the annual interest for unit of money then d= a) 1/r (b) 1/1+r (c) 1/1-r (d) 1/r-1 8. When the average annual cost for n years becomes equal to the annual running cost then (a) Replace the equipment (b) Do not replace the equipment (c) Go for servicing (d) None 9. If x is the number of units in inventory and s, S are the minimum and maximum stock levels and if x< s then order number of units. () (a) S - x (b) S + x (c) s - x (d) s + x 	
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(a) $S - x$ (b) $S + x$ (c) $S - x$ (d) $S + x$	
	ί.
(i) Crarbial mathed (ii) Simplay mathed (iii) Madified simplay mathed	()
(i) Graphical method, (ii) Simplex method, (iii) Modified simplex methods (i) (a) (i) and (iii) (b) (ii) and (iii) (c) (i) and (iii) (d) All the shows methods	
(a) (f) and (ff) (b) (f) and (ff) (c) (f) and (ff) (d) An the above methods Section $\mathbf{P}(10 \times 1/-5)$	5
$\frac{SCUUIPD (10 \times 72 - 5)}{1 Graphically Dynamic programming problem can be represented using$	110:00
1. Graphicany Dynamic programming problem can be represented using	using
2 Fach sub-problem of a dynamic programming problem is known as	<u>ac</u> a
	uo u
3. In Kuhn-Tucker conditions of NLPP λ is known as	as

- 4. The conditions which are necessary and sufficient to solve an NLPP are given by
- 5. Wolfe's and Beal's method are used to solve _____ programming problem.
- 6. An NLPP in which the objective function can be expressed as a linear combination of several different univariate functions is called as _____ programming problem
- 7. When there is a considerable uncertainty about future demands then we use inventory models.
- 8. Perishable products have ______ limit for selling them in the market.
- 9. In regret criterion we develop a _____ matrix.
- **10.** In Hurwicz criterion, 'α' is known as _____

Section-C ($10 \times 1 = 10$)

- 1. Explain the Graphical method
- 2. Explain the VAM for finding IBFS of TP.
- 3. Explain the Hungarian algorithm
- 4. Explain various costs used in inventory management.
- 5. Explain briefly about Goal Programming Problem.
- 6. Define Bellman's principle of optimality & write characteristics of Dynamic programming.
- 7. In an instantaneous demand with setup cost model, if the holding cost is one Rupee, shortage cost is five rupees and the purchase cost is one rupee per unit then find y^* , when the demand ~ exp(1).
- 8. Define Separable convex programming problem.
- 9. Explain Branch & Bound method.
- 10. Explain CPM method for finding the critical path.

FACULTY OF SCIENCE M.Sc. (FINAL) INTERNAL ASSESSMENT SUBJECT : STATISTICS Paper-IV: TIME SERIES ANALYSIS

1.	 Holt-Winter method is applicable w a) trend and cyclical components c) seasonal and cyclical component 	hen	the time series data consists of b) trend and seasonal compo- d) trend, seasonal and cyclic:	nents al Corr	nonent
	,, ,		_,	()
2.	The Spectral density function $g(f) =$				
	a) $I(f)/\sigma_z^2$	b)	$E \{I(f)\}$		
	c) $P(f)/\sigma_z^2$	d)	E {P(f)}	()
3.	The residual analysis will help in ev	alua	ting the ARIMA model for		
	a) adequacy	b)	inadequacy	,	
	c) Stationary	d)	none of the above	()
4.	To get the initial estimates of AR or	MA	or ARMA processes we use		
	a) Least squares method	b)	Maximum likelihood method		
	c) neither a) nor b)	d)	both a) and b)	()
5.	In an ARIMA(p, d, q) process, order	oft	he polynomial g(B) is		
	a) p+d	b)	p+q		
	c) q+d	d)	p+d+q	()
6.	The equation $T_{t} = \beta(L_t - L_{t-1}) + (1 - \beta) T$	t-i re	presents trend in		
	a) Holt Winter	b)	Winter		
	c) Stationary	d)	none of the above ()	
	_				
7	In the model $Z_t (1-1.8B+1.9B^2) = a_t$	the	values of g_1 , g_2 are	(`
	a) 1.8, 1.9 b) -1.8,-1.9 c)	1.0	s,-1.9 d) ~1.8,1.9	()
8.	Functions which are helpful in in id model is	enti	fying the order of stationary tin	ne seri	es ARIMA
	a) ACF	b)	PACF		
	c) ACF and PACF	d)	none of the above	()
9.	The model of ARIMA(0, 1, 1) is				
	a) $\nabla Z_t = a_t + \theta_1 a_{t-1}$		b) $\nabla Z_t = (1 - \theta_1 B) a_t$		
	c) $\nabla Z_t = \mathbf{a}_t + \varphi_1 \mathbf{a}_{t-1}$		d) $\nabla Z_t = (1 + \varphi_1 B)a_t$	()
10	The model $\widetilde{Z} = 0, \widetilde{Z} + 3$ represents				
10.	$A \mathbf{P}(1) = \mathbf{P}(1)$		$h \to \mathbf{P}(2)$		
	a) $M\Delta(2)$		d) $M\Delta(1)$	()
	C_{j} MA(2)		$\mathbf{u} = \mathbf{u} \mathbf{u} \mathbf{u} \mathbf{u} \mathbf{u} \mathbf{u}$	()

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II. Fill in the blanks

1.	ARIMA(p, d, q) can be expressed in explicit forms.
2.	The inverted form of ARIMA (p, d, q) model is
3.	To convert a non-stationary time series to stationary time series
	operator is used.
4.	In ARIMA (0, d, 1) process $\varphi_t = $
5.	Initial estimates of AR(2) process are
6.	The residuals of AR(1) process are
7.	The white noise process \mathbf{a}_t follows normal distribution with mean and variance
	·
8.	For an ARMA(p, q) process ACF is a mixture of and
9.	The correlation coefficient between the t- origin forecasts errors at lead time I and I+j,
	$\rho(e_t(1), e_t(1+j)) =$
10.	Auto correlation function of forecasts errors at different time origin with same lead time
	$\rho(e_i(I), e_i-j(I)) =$
III. Answ	ver the following questions:
	1. What are the different methods of Forecasting?
	2. Write difference equation form of ARIMA?

- 3. Find ψ weights for an ARIMA (1, 1, 1) model
- 4. Write the diagnostic checks for the given time series model
- 5. Write the expression for forecasts in integrated form
- 6. What is the necessity of smoothing in a time series
- 7. What is a stochastic time series model
- 8. What is a periodogram?
- 9. Write the AR(2) model. Write the conditions for stationarity
- 10. What is an autocovariance function? Write the expression for AR(p) process?